

TRANSPORT CALCULATION REPORT

PROJECT NAME: World Energy Renew Amine US7L

ITEM NO. : 18-X-262

PROJECT NUMBER: EN207121

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WUXI CHEMICAL EQUIPMENT CO., LTD.

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ASME VIII Division 2 Horizontal Vessel Analysis, Left Saddle:

Horizontal Vessel Stress Calculations : Ocean Transport

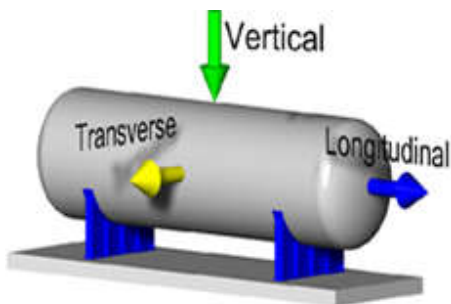
Note:

Wear Pad Width (9.00) is less than $1.56 \cdot \sqrt{r_m \cdot t}$
 and less than 2a. The wear plate will be ignored.

Minimum Wear Plate Width to be considered in analysis [b1]:
 $= \min(b + 1.56 \cdot \sqrt{R_m \cdot t}, 2a)$
 $= \min(7.4252 + 1.56 \cdot \sqrt{22.441 \cdot 0.63}, 2 \cdot 20.354)$
 $= 13.2908 \text{ in}$

Input and Calculated Values:

Vessel Mean Radius	Rm	22.44	in
Shell Thickness used in this Case	t	0.630	in
Stiffened Vessel Length per 4.15.6	L	217.75	in
Distance from Saddle to Vessel tangent	a1 or a	20.35	in
Saddle Width	b1 or b	7.43	in
Saddle Bearing Angle	delta or theta	120.00	degrees
Shell Allowable Stress used in Calculation		20000.00	psi
Head Allowable Stress used in Calculation		20000.00	psi
Circumferential Efficiency in Plane of Saddle		1.00	
Circumferential Efficiency at Mid-Span		1.00	
Distance from Saddle Base to Centerline	B	51.81	in
Coefficient of Friction	mu	0.40	
Saddle Force Q for this Transportation Case		80745.06	lbf
Shipping Longitudinal Acceleration	gx	1.50	g
Shipping Transverse Acceleration	gz	1.50	g
Shipping Vertical Acceleration	gy	2.00	g
Vertical Acceleration Acting with Transverse	gw	1.00	g
Internal Pressure during Transport		5.08	psig
Transportation Wind Load Scalar Factor	wlsf	1.00	
Transportation Wind Velocity	wv	89.5	mile/hr



Horizontal Vessel Analysis Results:	Actual psi	Allowable psi
Long. Stress at Top of Midspan	-2764.36	-34200.00
Long. Stress at Top of Midspan	2764.36	20000.00
Long. Stress at Bottom of Midspan	2945.18	20000.00
Long. Stress at Top of Saddles	657.44	20000.00
Long. Stress at Bottom of Saddles	-223.87	-34200.00
Long. Stress at Bottom of Saddles	223.87	20000.00

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Tangential Shear in Shell	5436.19	16000.00
Circ. Stress at Horn of Saddle	16289.16	30000.00
Circ. Compressive Stress in Shell	733.13	20000.00

Intermediate Results: Saddle Reaction Q due to Ocean Transport Load:

Transverse Force due to Wind during Transport [Ft_w]:

$$\begin{aligned}
 &= \text{Transverse Area} * 0.00256 * wv^2 * wlsf \\
 &= 128.14 * 0.00256 * 89.479^2 * 1 \\
 &= 2626.5 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Wind during Transport [Fl_w]:

$$\begin{aligned}
 &= \pi * D^2/4 * 0.00256 * wv^2 * wlsf * \text{Wind Dia. Mult} \\
 &= \pi * 4.0427^2/4 * 0.00256 * 89.479^2 * 1 * 1.37 \\
 &= 360.4 \text{ lbf}
 \end{aligned}$$

Transverse Force due to Axial Acceleration [Ft]:

$$\begin{aligned}
 &= gx * \text{saddle Load} * gw + Ft_w \\
 &= 1.5 * 26915 * 1 + 2626.5 \\
 &= 42999.0 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Axial Acceleration [Fl]:

$$\begin{aligned}
 &= gz * \text{saddle Load} * gw + Fl_w \\
 &= 1.5 * 26915 * 1 + 360.44 \\
 &= 40733.0 \text{ lbf}
 \end{aligned}$$

Transverse Saddle Reaction Force due to Lateral Acceleration [Fwt]:

$$\begin{aligned}
 &= Ft/\text{Num of Saddles} * B / E \\
 &= 42999/2 * 51.811/40.506 \\
 &= 27500.1 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Transport Load [Fwl]:

$$\begin{aligned}
 &= Fl * B / Ls \\
 &= 40733 * 51.811/139 \\
 &= 15182.8 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Vertical Transportation Acceleration [Fsl]:

$$\begin{aligned}
 &= \text{Saddle Load} * gy \\
 &= 26915 * 2 \\
 &= 53830.043 \text{ lbf}
 \end{aligned}$$

Load Combination Results due to Transport Loading [Q]:

$$\begin{aligned}
 &= \text{Saddle Load} + \max(Fwl, Fwt, Fsl) \\
 &= 26915 + \max(15183, 27500, 53830) \\
 &= 80745.1 \text{ lbf}
 \end{aligned}$$

Summary of Loads at the base of this Saddle:

Vertical Load (including saddle weight)	81819.61	lbf
Transverse Shear Load Saddle	27500.11	lbf
Longitudinal Shear Load Saddle	40732.97	lbf

Formulas and Substitutions for Horizontal Vessel Analysis:

Note: Wear Plate is Welded to the Shell, $k = 0.1$

Saddle Dimension [E]:

$$\begin{aligned}
 &= \min(2(\text{ShellID}/2 + t + \text{WearPadThickness})\sin(\theta/2), 2*R_m) \\
 &= \min(2(44.252/2 + 0.63 + 0.63)\sin(120/2), 2*22.441) \\
 &= 40.506 \text{ in}
 \end{aligned}$$

The Computed K values from Table 4.15.1:

K1 = 0.1066	K2 = 1.1707	K3 = 0.8799	K4 = 0.4011
K5 = 0.7603	K6 = 0.0529	K7 = 0.0455	K8 = 0.3405

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K9 = 0.2711 K10 = 0.0581 K1* = 0.1923

Note: Dimension a is greater than or equal to Rm/2.

Moment per Equation 4.15.1 [M1]:

$$\begin{aligned}
 &= -Q*a [1 - (1 - a/L + (Rm^2 - h^2)/(2a*L))/(1 + (4h^2)/3L)] \\
 &= -80745*20.354[1 - (1 - 20.354/217.75 + (22.441^2 - 0^2)/(2*20.354*217.75))/(1 + (4*0)/(3*217.75))] \\
 &= -5021.1 \text{ ft-lb}
 \end{aligned}$$

Moment per Equation 4.15.4 [M2]:

$$\begin{aligned}
 &= Q*L/4(1 + 2(Rm^2 - h^2)/(L^2))/(1 + (4h^2)/(3L)) - 4a/L \\
 &= 80745*217.75/4(1 + 2(22.441^2 - 0^2)/(217.75^2))/(1 + (4*0)/(3*217.75)) - 4*20.354/217.75 \\
 &= 237117.7 \text{ ft-lb}
 \end{aligned}$$

Longitudinal Stress at Top of Shell (4.15.4) [sigma1]:

$$\begin{aligned}
 &= P * Rm/(2t) - M2/(pi*Rm^2*t) \\
 &= 5.0764 * 22.441/(2*0.63) - 2845412/(pi*22.441^2*0.63) \\
 &= -2764.36 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Bottom of Shell (4.15.5) [sigma2]:

$$\begin{aligned}
 &= P * Rm/(2t) + M2/(pi * Rm^2 * t) \\
 &= 5.0764 * 22.441/(2 * 0.63) + 2845412/(pi * 22.441^2 * 0.63) \\
 &= 2945.18 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Top of Shell at Support (4.15.8) [sigma*3]:

$$\begin{aligned}
 &= P * Rm/(2t) - M1/(K1*pi*Rm^2*t) \\
 &= 5.0764*22.441/(2*0.63) - 60253/(0.1066*pi*22.441^2*0.63) \\
 &= 657.44 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Bottom of Shell at Support (4.15.9) [sigma*4]:

$$\begin{aligned}
 &= P * Rm/(2t) + M1/(K1 * pi * Rm^2 * t) \\
 &= 5.0764*22.441/(2*0.63) + 60253/(0.1923*pi*22.441^2*0.63) \\
 &= -223.87 \text{ psi}
 \end{aligned}$$

Maximum Shear Force in the Saddle (4.15.3) [T]:

$$\begin{aligned}
 &= Q(L - 2a)/(L + (4*h^2/3)) \\
 &= 80745(217.75 - 2 * 20.354)/(217.75 + (4 * 0/3)) \\
 &= 65649.8 \text{ lbf}
 \end{aligned}$$

Shear Stress in the shell no rings, not stiffened (4.15.12) [tau2]:

$$\begin{aligned}
 &= K2 * T / (Rm * t) \\
 &= 1.1707 * 65650/(22.441 * 0.63) \\
 &= 5436.19 \text{ psi}
 \end{aligned}$$

Decay Length (4.15.20) [x1,x2]:

$$\begin{aligned}
 &= 0.78 * \text{sqrt}(Rm * t) \\
 &= 0.78 * \text{sqrt}(22.441 * 0.63) \\
 &= 2.933 \text{ in}
 \end{aligned}$$

Circumferential Stress in shell, no rings (4.15.21) [sigma6]:

$$\begin{aligned}
 &= -K5 * Q * k / (t(b + X1 + X2)) \\
 &= -0.7603 * 80745 * 0.1/(0.63(7.4252 + 2.9328 + 2.9328)) \\
 &= -733.13 \text{ psi}
 \end{aligned}$$

Circ. Comp. Stress at Horn of Saddle, L>=8Rm (4.15.22) [sigma7]:

$$\begin{aligned}
 &= -Q/(4*t(b+X1+X2)) - 3*K7*Q/(2*t^2) \\
 &= -80745/(4 * 0.63(7.4252 + 2.9328 + 2.9328)) - 3 * 0.04548 * 80745/(2*0.63^2) \\
 &= -16289.16 \text{ psi}
 \end{aligned}$$

Effective reinforcing plate width (4.15.24) [B1]:

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$$\begin{aligned}
 &= \min(b + 1.56 * \sqrt{ Rm * t }, 2a) \\
 &= \min(7.4252 + 1.56 * \sqrt{ 22.441 * 0.63 }, 2 * 20.354) \\
 &= 13.29 \text{ in}
 \end{aligned}$$

Results for Vessel Ribs, Web and Base:

Baseplate Length	Bplen	59.0551	in
Baseplate Thickness	Bpthk	1.4173	in
Baseplate Width	Bpwid	19.6850	in
Number of Ribs (inc. outside ribs)	Nribs	4	
Rib Thickness	Ribtk	0.6299	in
Web Thickness	Webtk	0.6299	in
Web Location	Webloc	Side	
Saddle Yield Stress	Sy	33270.0	psi
Height of Web at Center	Hw,c	17.0	in
Friction Coefficient	mu	0.400	

Moment of Inertia of Saddle - Transverse Direction (90 degrees to long axis)

Inertia of Shell [ShellInertia]:

$$\begin{aligned}
 &= ((1.56 * \sqrt{ R * t } + \text{WearPlateWidth}) t^3) / 12 \\
 &= ((1.56 * \sqrt{ 22.126 * 0.63 } + 9) 0.63^3) / 12 \\
 &= 0.309 \text{ in**4}
 \end{aligned}$$

Resolved Inertia for the Shell [I,shell]:

$$\begin{aligned}
 &= \text{ShellInertia} + A_{\text{shell}} (C1 - Y)^2 \\
 &= 0.3089 + 9.3393 (17.822 - 0.315)^2 \\
 &= 2862.681 \text{ in**4}
 \end{aligned}$$

	B in	D in	Y in	A in^2	AY in^3	I + AD^2 in**4
Shell	14.8243	0.6300	0.3150	9.3393	2.9419	2862.6809
Wearplate	9.0000	0.6300	0.9450	5.6700	5.3582	1615.1414
Web	0.6299	27.0077	14.7639	17.0127	251.1736	1193.1941
BasePlate	19.6850	1.4173	28.9764	27.9001	808.4426	3476.1628
Totals	...	...	...	59.9221	1067.9163	9147.1758

Distance to Centroid [C1]:

$$\begin{aligned}
 &= AY / A \\
 &= 1067.9 / 59.922 \\
 &= 17.822 \text{ in}
 \end{aligned}$$

Angle [beta]:

$$\begin{aligned}
 &= 180 - \text{Saddle Angle} / 2 \\
 &= 180 - 120 / 2 \\
 &= 120.0
 \end{aligned}$$

Saddle Splitting Coefficient [K1]:

$$\begin{aligned}
 &= (1 + \cos(\text{beta}) - 0.5 * \sin(\text{beta})^2) / (\pi - \text{beta} + \sin(\text{beta}) \cos(\text{beta})) \\
 &= (1 + \cos(120) - 0.5 * \sin(120)^2) / (\pi - 2.0944 + \sin(120) \cos(120)) \\
 &= 0.2035
 \end{aligned}$$

Saddle Splitting Force [Fh]:

$$\begin{aligned}
 &= K1 * Q \\
 &= 0.2035 * 80745 \\
 &= 16433.3711 \text{ lbf}
 \end{aligned}$$

$$\begin{aligned}
 \text{Tension Stress, St} &= (Fh / A_s) = 324.8807 \text{ psi} \\
 \text{Allowed Stress, Sa} &= 0.6 * \text{Yield Str} = 19962.0000 \text{ psi}
 \end{aligned}$$

Saddle Splitting Dimension [d]:

$$\begin{aligned}
 &= B - R * \sin(\text{theta} / 2) / (\text{theta} / 2 \text{ in radians}) \\
 &= 51.811 - 22.126 * \sin(120 / 2) / 1.0472 \\
 &= 33.513 \text{ in}
 \end{aligned}$$

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Bending Moment, $M = F_h * d = 45894.2695 \text{ ft-lb}$

Bending Stress, $S_b = (M * C_1 / I) = 1073.0074 \text{ psi}$

Allowed Stress, $S_a = 2/3 * \text{Yield Str} = 22180.0000 \text{ psi}$

Minimum Thickness of Baseplate per Moss:

$= \sqrt{3(Q + \text{Saddle_Wt}) \text{BasePlateWidth} / (2 * \text{BasePlateLength} * \text{AllStress})}$
 $= \sqrt{3(80745 + 1074.5)19.685 / (2 * 59.055 * 22180)}$
 $= 1.358 \text{ in}$

Calculation of Axial Load, Intermediate Values and Compressive Stress:

Web Length Dimension [Web Length]:

$= 2 * \cos(90 - \text{Saddle Angle}/2)(\text{Inside Radius} + \text{Shell Thk} + \text{Wear Plate Thk})$
 $= 2 * \cos(90 - 120/2)(22.126 + 0.63 + 0.63)$
 $= 40.506 \text{ in}$

Distance between Ribs [e]:

$= \text{Web Length} / (\text{Nr ribs} - 1)$
 $= 40.506 / (4 - 1)$
 $= 13.502 \text{ in}$

Baseplate Pressure Area [Ap]:

$= e * \text{Bpwid} / 2$
 $= 13.502 * 19.685/2$
 $= 132.893 \text{ in}^2$

Bearing Pressure [Bp]:

$= Q / (\text{BasePlateLength} * \text{BasePlateWidth})$
 $= 80745 / (59.055 * 19.685)$
 $= 69.458 \text{ lbf/in}^2$

Axial Load [P]:

$= A_p * B_p$
 $= 132.89 * 69.458$
 $= 9230.461 \text{ lbf}$

Area of the Rib and Web [Ar]:

$= \text{Rib Area} + \text{Web Area}$
 $= 4.2805 + 4.2526$
 $= 8.533 \text{ in}^2$

Compressive Stress [Sc]:

$= P / A_r$
 $= 9230.5 / 8.5331$
 $= 1081.730 \text{ psi}$

Check of Outside Ribs:

Inertia of Saddle, Outer Ribs - Longitudinal Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	31.1248
Web	6.7510	0.6299	0.3150	4.2526	1.3394	14.8904
Totals	...	...	...	8.5331	18.5793	46.0152

Rib dimension [D]:

$= \text{Saddle Width} - \text{Web Thickness}$
 $= 7.4252 - 0.6299$
 $= 6.795 \text{ in}$

Distance to Centroid from Datum [ytot]:

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$$= AY / A$$

$$= 18.579/8.5331$$

$$= 2.177 \text{ in}$$

Distance to Centroid [C1]:

$$= \max(ytot, \text{Saddle Width} - ytot)$$

$$= \max(2.1773, 7.4252 - 2.1773)$$

$$= 5.248 \text{ in}$$

Radius of Gyration [r]:

$$= \sqrt{ \text{Total Inertia} / \text{Total Area} }$$

$$= \sqrt{ 46.015/8.5331 }$$

$$= 2.322 \text{ in}$$

Length of Outer Rib [L]:

$$= \text{Saddle Height} - \cos(\theta/2) (\text{radius} + \text{shlthk} + \text{wpdthk}) - \text{bpthk}$$

$$= 51.811 - \cos(120/2) (22.126 + 0.63 + 0.63) - 1.4173$$

$$= 38.701 \text{ in}$$

Intermediate Term [Cc]:

$$= \sqrt{ 2 * \pi^2 * \text{Elastic Modulus} / \text{Yield Stress} }$$

$$= \sqrt{ 2 * \pi^2 * 29000000/33270 }$$

$$= 131.171$$

Slenderness ratio [KL/r]:

$$= KL/r$$

$$= 1 * 38.701/2.3222$$

$$= 16.666$$

Bending Moment [Rm]:

$$= F1 / (2 * Bplen) * e * L / 2$$

$$= 40733 / (2 * 59.055) * 13.502 * 38.701/2$$

$$= 7508.639 \text{ ft-lb}$$

Compressive Allowable, $KL/r < Cc$ ($16.666 < 131.17$) per AISC E2-1 [Sca]:

$$= (1 - (K1r)^2 / (2 * Cc^2)) Fy / (5/3 + 3 * (K1r) / (8 * Cc) - (K1r^3) / (8 * Cc^3))$$

$$= (1 - (16.666)^2 / (2 * 131.17^2)) 33270 / (5/3 + 3 * (16.666) / (8 * 131.17) - (16.666^3) / (8 * 131.17^3))$$

$$= 19253 \text{ psi}$$

AISC Unity Check of Outside Ribs (must be ≤ 1)

$$= Sc/Sca + (Rm * C1 / I) / Sba$$

$$= 1081.7/19253 + (90104 * 5.2479/46.015) / 22180$$

$$= 0.519$$

Check of Inside Ribs:

Inertia of Saddle, Inner Ribs - Axial Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	42.5789
Web	13.5019	0.6299	0.3150	8.5051	2.6788	13.4208
Totals	...	...	...	12.7856	19.9187	55.9997

Distance to Centroid from Datum [ytot]:

$$= AY / A$$

$$= 19.919/12.786$$

$$= 1.558 \text{ in}$$

Distance to Centroid [C1]:

$$= \max(ytot, \text{abs}(\text{Saddle Width} - ytot))$$

$$= \max(1.5579, \text{abs}(7.4252 - 1.5579))$$

$$= 5.867 \text{ in}$$

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Length of Inner Rib [L]:

$$\begin{aligned}
 &= \text{Saddle Height} - \sqrt{(\text{Ro} + \text{Wpdthk})^2 - (\text{Pitch}/2)^2} - \text{Bpthk} \\
 &= 51.811 - \sqrt{(23.386 + 0.63)^2 - (13.502/2)^2} - 1.4173 \\
 &= 28.003 \text{ in}
 \end{aligned}$$

Radius of Gyration [r]:

$$\begin{aligned}
 &= \sqrt{\text{Total Inertia} / \text{Total Area}} \\
 &= \sqrt{56/12.786} \\
 &= 2.093 \text{ in}
 \end{aligned}$$

Slenderness ratio [KL/r]:

$$\begin{aligned}
 &= \text{KL}/r \\
 &= 1 * 28.003/2.0928 \\
 &= 13.381
 \end{aligned}$$

Unit Force [Force,u]:

$$\begin{aligned}
 &= \text{F1} / (2 * \text{Baseplate Length}) \\
 &= 40733 / (2 * 59.055) \\
 &= 344.872 \text{ lbf/in}
 \end{aligned}$$

Moment at base of inner Rib [Mbase,c]:

$$\begin{aligned}
 &= \text{Unit Force} * e * L \\
 &= 344.87 * 13.502 * 28.003 \\
 &= 130395.680 \text{ in.lbs}
 \end{aligned}$$

Bending Stress due to Transverse Force and Weight Load [SigmaB,base,c]:

$$\begin{aligned}
 &= \text{Bending Moment} / \text{Section Modulus} \\
 &= 130396/9.5444 \\
 &= 13662.051 \text{ psi}
 \end{aligned}$$

Compressive Allowable, $\text{KL}/r < \text{Cc}$ ($13.381 < 131.17$) per AISC E2-1 [Sca]:

$$\begin{aligned}
 &= (1 - (\text{KL}/r)^2 / (2 * \text{Cc}^2)) \text{Fy} / (5/3 + 3 * (\text{KL}/r) / (8 * \text{Cc}) - (\text{KL}/r)^3 / (8 * \text{Cc}^3)) \\
 &= (1 - (13.381)^2 / (2 * 131.17^2)) 33270 / \\
 &\quad (5/3 + 3 * (13.381) / (8 * 131.17) - (13.381^3) / (8 * 131.17^3)) \\
 &= 19414 \text{ psi}
 \end{aligned}$$

ASME VIII Division 2 Horizontal Vessel Analysis, Right Saddle:

$$\begin{aligned}
 &= \text{Sc}/\text{Sca} + (\text{Mbase,c} * \text{C1}/\text{I})/\text{Sba} \\
 &= 928.69/19414 + (130396 * 5.8673/56)/22180 \\
 &= 0.664
 \end{aligned}$$

ASME VIII Division 2 Horizontal Vessel Analysis, Right Saddle:

*Warning - Distance to Saddle (a) > 0.25 * Tangent Distance (L) - 4.15.3.2*

Note:

Wear Pad Width (9.00) is less than $1.56 * \sqrt{\text{rm} * \text{t}}$
 and less than 2a. The wear plate will be ignored.

Minimum Wear Plate Width to be considered in analysis [b1]:

$$\begin{aligned}
 &= \min(b + 1.56 * \sqrt{\text{Rm} * \text{t}}, 2a) \\
 &= \min(7.4252 + 1.56 * \sqrt{22.441 * 0.63}, 2 * 58.638) \\
 &= 13.2908 \text{ in}
 \end{aligned}$$

Input and Calculated Values:

Vessel Mean Radius	Rm	22.44	in
Shell Thickness used in this Case	t	0.630	in
Stiffened Vessel Length per 4.15.6	L	217.75	in
Distance from Saddle to Vessel tangent	a1 or a	58.64	in
Saddle Width	b1 or b	7.43	in
Saddle Bearing Angle	delta or theta	120.00	degrees

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Inside Depth of Head	Hi or h2	11.06	in
Shell Allowable Stress used in Calculation		20000.00	psi
Head Allowable Stress used in Calculation		20000.00	psi
Circumferential Efficiency in Plane of Saddle		1.00	
Circumferential Efficiency at Mid-Span		1.00	
Distance from Saddle Base to Centerline	B	51.81	in
Coefficient of Friction	mu	0.00	
Saddle Force Q for this Transportation Case		28319.31	lbf
Shipping Longitudinal Acceleration	gx	1.50	g
Shipping Transverse Acceleration	gz	1.50	g
Shipping Vertical Acceleration	gy	2.00	g
Vertical Acceleration Acting with Transverse	gw	1.00	g
Internal Pressure during Transport		5.08	psig
Transportation Wind Load Scalar Factor	wlsf	1.00	
Transportation Wind Velocity	wv	89.5	mile/hr

Horizontal Vessel Analysis Results:	Actual psi	Allowable psi
Long. Stress at Top of Midspan	284.61	20000.00
Long. Stress at Bottom of Midspan	-103.79	-34200.00
Long. Stress at Bottom of Midspan	103.79	20000.00
Long. Stress at Top of Saddles	4804.75	20000.00
Long. Stress at Bottom of Saddles	-2522.56	-34200.00
Long. Stress at Bottom of Saddles	2522.56	20000.00
Tangential Shear in Shell	1013.37	16000.00
Circ. Stress at Horn of Saddle	6502.09	30000.00
Circ. Compressive Stress in Shell	257.13	20000.00

Intermediate Results: Saddle Reaction Q due to Ocean Transport Load:

Transverse Force due to Wind during Transport [Ft_w]:

$$\begin{aligned}
 &= \text{Transverse Area} * 0.00256 * wv^2 * wlsf \\
 &= 128.14 * 0.00256 * 89.479^2 * 1 \\
 &= 2626.5 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Wind during Transport [Fl_w]:

$$\begin{aligned}
 &= \pi * D^2/4 * 0.00256 * wv^2 * wlsf * \text{Wind Dia. Mult} \\
 &= \pi * 4.0427^2/4 * 0.00256 * 89.479^2 * 1 * 1.37 \\
 &= 360.4 \text{ lbf}
 \end{aligned}$$

Transverse Force due to Axial Acceleration [Ft]:

$$\begin{aligned}
 &= gx * \text{saddle Load} * gw + Ft_w \\
 &= 1.5 * 9439.8 * 1 + 2626.5 \\
 &= 16786.1 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Axial Acceleration [Fl]:

$$\begin{aligned}
 &= gz * \text{saddle Load} * gw + Fl_w \\
 &= 1.5 * 9439.8 * 1 + 360.44 \\
 &= 14520.1 \text{ lbf}
 \end{aligned}$$

Transverse Saddle Reaction Force due to Lateral Acceleration [Fwt]:

$$\begin{aligned}
 &= Ft/\text{Num of Saddles} * B / E \\
 &= 16786/2 * 51.811/40.506 \\
 &= 10735.6 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Transport Load [Fwl]:

$$\begin{aligned}
 &= Fl * B / Ls \\
 &= 14520 * 51.811/139
 \end{aligned}$$

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= 5412.2 lbf

Saddle Reaction Force due to Vertical Transportation Acceleration [Fsl]:

= Saddle Load * gy
 = 9439.8 * 2
 = 18879.543 lbf

Load Combination Results due to Transport Loading [Q]:

= Saddle Load + max(Fw1, Fwt, Fsl)
 = 9439.8 + max(5412.2, 10736, 18880)
 = 28319.3 lbf

Summary of Loads at the base of this Saddle:

Vertical Load (including saddle weight)	29119.46 lbf
Transverse Shear Load Saddle	10735.61 lbf
Longitudinal Shear Load Saddle	14520.10 lbf

Formulas and Substitutions for Horizontal Vessel Analysis:

Note: Wear Plate is Welded to the Shell, k = 0.1

Saddle Dimension [E]:

= min(2(ShellID/2 + t + WearPadThickness)sin(θ/2), 2*Rm)
 = min(2(44.252/2 + 0.63 + 0.63)sin(120/2), 2*22.441)
 = 40.506 in

The Computed K values from Table 4.15.1:

K1 = 0.1066	K2 = 1.1707	K3 = 0.8799	K4 = 0.4011
K5 = 0.7603	K6 = 0.0529	K7 = 0.0529	K8 = 0.3405
K9 = 0.2711	K10 = 0.0581	K1* = 0.1923	

Note: Dimension a is greater than or equal to Rm/2.

Moment per Equation 4.15.1 [M1]:

= -Q*a [1 - (1 - a/L + (Rm²-h²)/(2a*L))/(1+(4h²)/3L)]
 = -28319*58.638[1-(1-58.638/217.75+(22.441²-11.063²)/
 (2*58.638*217.75))/(1+(4*11.063)/(3*217.75))])
 = -41746.1 ft-lb

Moment per Equation 4.15.4 [M2]:

= Q*L/4(1+2(Rm²-h²)/(L²))/(1+(4h²)/(3L))-4a/L
 = 28319*217.75/4(1+2(22.441²-11.063²)/(217.75²))/(1+(4*11.063)/
 (3*217.75))-4*58.638/217.75
 = -16130.2 ft-lb

Longitudinal Stress at Top of Shell (4.15.4) [sigma1]:

= P * Rm/(2t) - M2/(pi*Rm²t)
 = 5.0764 * 22.441/(2*0.63) - -193562/(pi*22.441²*0.63)
 = 284.61 psi

Longitudinal Stress at Bottom of Shell (4.15.5) [sigma2]:

= P * Rm/(2t) + M2/(pi * Rm² * t)
 = 5.0764 * 22.441/(2 * 0.63) + -193562/(pi * 22.441² * 0.63)
 = -103.79 psi

Longitudinal Stress at Top of Shell at Support (4.15.8) [sigma*3]:

= P * Rm/(2t) - M1/(K1*pi*Rm²t)
 = 5.0764*22.441/(2*0.63)--500954/(0.1066*pi*22.441²*0.63)
 = 4804.75 psi

Longitudinal Stress at Bottom of Shell at Support (4.15.9) [sigma*4]:

= P * Rm/(2t) + M1/(K1* * pi * Rm² * t)
 = 5.0764*22.441/(2*0.63)+-500954/(0.1923*pi*22.441²*0.63)

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$$= -2522.56 \text{ psi}$$

Maximum Shear Force in the Saddle (4.15.3) [T]:

$$= Q(L-2a)/(L+(4*h^2/3))$$

$$= 28319(217.75 - 2 * 58.638)/(217.75 + (4 * 11.063/3))$$

$$= 12237.9 \text{ lbf}$$

Shear Stress in the shell no rings, not stiffened (4.15.12) [tau2]:

$$= K2 * T / (Rm * t)$$

$$= 1.1707 * 12238 / (22.441 * 0.63)$$

$$= 1013.37 \text{ psi}$$

Decay Length (4.15.20) [x1,x2]:

$$= 0.78 * \sqrt{Rm * t}$$

$$= 0.78 * \sqrt{22.441 * 0.63}$$

$$= 2.933 \text{ in}$$

Circumferential Stress in shell, no rings (4.15.21) [sigma6]:

$$= -K5 * Q * k / (t(b + X1 + X2))$$

$$= -0.7603 * 28319 * 0.1 / (0.63(7.4252 + 2.9328 + 2.9328))$$

$$= -257.13 \text{ psi}$$

Circ. Comp. Stress at Horn of Saddle, L>=8Rm (4.15.22) [sigma7]:

$$= -Q/(4*t(b+X1+X2)) - 3*K7*Q/(2*t^2)$$

$$= -28319/(4 * 0.63(7.4252 + 2.9328 + 2.9328)) -$$

$$3 * 0.05285 * 28319/(2*0.63^2)$$

$$= -6502.09 \text{ psi}$$

Effective reinforcing plate width (4.15.24) [B1]:

$$= \min(b + 1.56 * \sqrt{Rm * t}, 2a)$$

$$= \min(7.4252 + 1.56 * \sqrt{22.441 * 0.63}, 2 * 58.638)$$

$$= 13.29 \text{ in}$$

Results for Vessel Ribs, Web and Base:

Baseplate Length	Bplen	59.0551	in
Baseplate Thickness	Bpthk	1.4173	in
Baseplate Width	Bpwid	9.0000	in
Number of Ribs (inc. outside ribs)	Nribs	4	
Rib Thickness	Ribtk	0.6299	in
Web Thickness	Webtk	0.6299	in
Web Location	Webloc	Side	
Saddle Yield Stress	Sy	38000.0	psi
Height of Web at Center	Hw,c	17.0	in
Friction Coefficient	mu	0.000	

Moment of Inertia of Saddle - Transverse Direction (90 degrees to long axis)

Inertia of Shell [ShellInertia]:

$$= ((1.56 * \sqrt{R * t} + \text{WearPlateWidth})t^3)/12$$

$$= ((1.56 * \sqrt{22.126 * 0.63} + 9)0.63^3)/12$$

$$= 0.309 \text{ in**4}$$

Resolved Inertia for the Shell [I,shell]:

$$= \text{ShellInertia} + A_{\text{shell}}(C1 - Y)^2$$

$$= 0.3089 + 9.3393(14.049 - 0.315)^2$$

$$= 1761.964 \text{ in**4}$$

	B in	D in	Y in	A in^2	AY in^3	I + AD^2 in**4
Shell	14.8243	0.6300	0.3150	9.3393	2.9419	1761.9644
Wearplate	9.0000	0.6300	0.9450	5.6700	5.3582	973.8370
Web	0.6299	27.0077	14.7639	17.0127	251.1736	1042.8040

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BasePlate	9.0000	1.4173	28.9764	12.7559	369.6200	2844.4229
Totals	...	...	...	44.7780	629.0936	6623.0273

Distance to Centroid [C1]:

= AY / A
 = 629.09/44.778
 = 14.049 in

Angle [beta]:

= 180 - Saddle Angle/2
 = 180 - 120/2
 = 120.0

Saddle Splitting Coefficient [K1]:

= (1 + cos(beta) - 0.5*sin(beta)²)/(pi - beta + sin(beta)cos(beta))
 = (1 + cos(120) - 0.5*sin(120)²)/(pi - 2.0944 + sin(120)cos(120))
 = 0.2035

Saddle Splitting Force [Fh]:

= K1 * Q
 = 0.2035 * 28319
 = 5763.5947 lbf

Tension Stress, St = (Fh/As) = 162.6359 psi
 Allowed Stress, Sa = 0.6 * Yield Str = 22800.0000 psi

Saddle Splitting Dimension [d]:

= B - R * sin(theta/2)/(theta/2 in radians)
 = 51.811 - 22.126 * sin(120/2)/1.0472
 = 33.513 in

Bending Moment, M = Fh * d = 16096.2705 ft-lb

Bending Stress, Sb = (M * C1 / I) = 409.7329 psi
 Allowed Stress, Sa = 2/3 * Yield Str = 25333.3340 psi

Minimum Thickness of Baseplate per Moss:

= sqrt(3(Q + Saddle_Wt)BasePlateWidth / (2 * BasePlateLength * AllStress))
 = sqrt(3(28319 + 800.14)9/(2 * 59.055 * 25333))
 = 0.513 in

Calculation of Axial Load, Intermediate Values and Compressive Stress:

Web Length Dimension [Web Length]:

= 2 * cos(90 - Saddle Angle/2)(Inside Radius + Shell Thk + Wear Plate Thk)
 = 2 * cos(90 - 120/2)(22.126 + 0.63 + 0.63)
 = 40.506 in

Distance between Ribs [e]:

= Web Length / (Nr ribs - 1)
 = 40.506/(4 - 1)
 = 13.502 in

Baseplate Pressure Area [Ap]:

= e * Bpwid / 2
 = 13.502 * 9/2
 = 60.759 in²

Bearing Pressure [Bp]:

= Q / (BasePlateLength * BasePlateWidth)
 = 28319/(59.055 * 9)
 = 53.282 lbf/in²

Axial Load [P]:

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$$\begin{aligned}
 &= A_p * B_p \\
 &= 60.759 * 53.282 \\
 &= 3237.354 \text{ lbf}
 \end{aligned}$$

Area of the Rib and Web [Ar]:

$$\begin{aligned}
 &= \text{Rib Area} + \text{Web Area} \\
 &= 4.2805 + 4.2526 \\
 &= 8.533 \text{ in}^2
 \end{aligned}$$

Compressive Stress [Sc]:

$$\begin{aligned}
 &= P/A_r \\
 &= 3237.4/8.5331 \\
 &= 379.390 \text{ psi}
 \end{aligned}$$

Check of Outside Ribs:

Inertia of Saddle, Outer Ribs - Longitudinal Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	31.1248
Web	6.7510	0.6299	0.3150	4.2526	1.3394	14.8904
Totals	...	...	...	8.5331	18.5793	46.0152

Rib dimension [D]:

$$\begin{aligned}
 &= \text{Saddle Width} - \text{Web Thickness} \\
 &= 7.4252 - 0.6299 \\
 &= 6.795 \text{ in}
 \end{aligned}$$

Distance to Centroid from Datum [ytot]:

$$\begin{aligned}
 &= AY / A \\
 &= 18.579/8.5331 \\
 &= 2.177 \text{ in}
 \end{aligned}$$

Distance to Centroid [C1]:

$$\begin{aligned}
 &= \max(y_{tot}, \text{Saddle Width} - y_{tot}) \\
 &= \max(2.1773, 7.4252 - 2.1773) \\
 &= 5.248 \text{ in}
 \end{aligned}$$

Radius of Gyration [r]:

$$\begin{aligned}
 &= \sqrt{\text{Total Inertia} / \text{Total Area}} \\
 &= \sqrt{46.015/8.5331} \\
 &= 2.322 \text{ in}
 \end{aligned}$$

Length of Outer Rib [L]:

$$\begin{aligned}
 &= \text{Saddle Height} - \cos(\theta/2) (\text{radius} + \text{shlthk} + \text{wpdthk}) - \text{bpthk} \\
 &= 51.811 - \cos(120/2) (22.126 + 0.63 + 0.63) - 1.4173 \\
 &= 38.701 \text{ in}
 \end{aligned}$$

Intermediate Term [Cc]:

$$\begin{aligned}
 &= \sqrt{2 * \pi^2 * \text{Elastic Modulus} / \text{Yield Stress}} \\
 &= \sqrt{2 * \pi^2 * 29000000/38000} \\
 &= 122.736
 \end{aligned}$$

Slenderness ratio [KL/r]:

$$\begin{aligned}
 &= KL/r \\
 &= 1 * 38.701/2.3222 \\
 &= 16.666
 \end{aligned}$$

Bending Moment [Rm]:

$$\begin{aligned}
 &= F_1 / (2 * B_{plen}) * e * L / 2 \\
 &= 14520 / (2 * 59.055) * 13.502 * 38.701/2 \\
 &= 2676.607 \text{ ft-lb}
 \end{aligned}$$

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Compressive Allowable, $KL/r < Cc$ (16.666 < 122.74) per AISC E2-1 [Sca]:

$$= (1 - (KL/r)^2 / (2 * Cc^2)) F_y / (5/3 + 3 * (KL/r) / (8 * Cc) - (KL/r)^3 / (8 * Cc^3))$$

$$= (1 - (16.666)^2 / (2 * 122.74^2)) 38000 / (5/3 + 3 * (16.666) / (8 * 122.74) - (16.666^3) / (8 * 122.74^3))$$

$$= 21924 \text{ psi}$$

AISC Unity Check of Outside Ribs (must be <= 1)

$$= S_c / S_{ca} + (R_m * C_1 / I) / S_{ba}$$

$$= 379.39 / 21924 + (32119 * 5.2479 / 46.015) / 25333$$

$$= 0.162$$

Check of Inside Ribs:

Inertia of Saddle, Inner Ribs - Axial Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	42.5789
Web	13.5019	0.6299	0.3150	8.5051	2.6788	13.4208
Totals	...	...	...	12.7856	19.9187	55.9997

Distance to Centroid from Datum [ytot]:

$$= AY / A$$

$$= 19.919 / 12.786$$

$$= 1.558 \text{ in}$$

Distance to Centroid [C1]:

$$= \max(y_{tot}, \text{abs}(\text{Saddle Width} - y_{tot}))$$

$$= \max(1.5579, \text{abs}(7.4252 - 1.5579))$$

$$= 5.867 \text{ in}$$

Length of Inner Rib [L]:

$$= \text{Saddle Height} - \sqrt{ (R_o + W_{pdthk})^2 - (Pitch/2)^2 } - B_{pthk}$$

$$= 51.811 - \sqrt{ (23.386 + 0.63)^2 - (13.502/2)^2 } - 1.4173$$

$$= 28.003 \text{ in}$$

Radius of Gyration [r]:

$$= \sqrt{ \text{Total Inertia} / \text{Total Area} }$$

$$= \sqrt{ 56 / 12.786 }$$

$$= 2.093 \text{ in}$$

Slenderness ratio [KL/r]:

$$= KL/r$$

$$= 1 * 28.003 / 2.0928$$

$$= 13.381$$

Unit Force [Force,u]:

$$= F_1 / (2 * \text{Baseplate Length})$$

$$= 14520 / (2 * 59.055)$$

$$= 122.937 \text{ lbf/in}$$

Moment at base of inner Rib [Mbase,c]:

$$= \text{Unit Force} * e * L$$

$$= 122.94 * 13.502 * 28.003$$

$$= 46482.195 \text{ in.lbs}$$

Bending Stress due to Transverse Force and Weight Load [SigmaB,base,c]:

$$= \text{Bending Moment} / \text{Section Modulus}$$

$$= 46482 / 9.5444$$

$$= 4870.116 \text{ psi}$$

Compressive Allowable, $KL/r < Cc$ (13.381 < 122.74) per AISC E2-1 [Sca]:

$$= (1 - (KL/r)^2 / (2 * Cc^2)) F_y / (5/3 + 3 * (KL/r) / (8 * Cc) - (KL/r)^3 / (8 * Cc^3))$$

$$= (1 - (13.381)^2 / (2 * 122.74^2)) 38000 / (5/3 + 3 * (13.381) / (8 * 122.74) - (13.381^3) / (8 * 122.74^3))$$

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= 22124 psi

AISC Unity Check of Inside Ribs (must be <= 1)

= $Sc/Sca + (Mbase,c * C1/I)/Sba$
= $492.46/22124 + (46482 * 5.8673/56)/25333$
= 0.215

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ASME VIII Division 2 Horizontal Vessel Analysis, Left Saddle:

Horizontal Vessel Stress Calculations : Road Transport

Note:

Wear Pad Width (9.00) is less than $1.56 \cdot \sqrt{r_m \cdot t}$
 and less than 2a. The wear plate will be ignored.

Minimum Wear Plate Width to be considered in analysis [b1]:

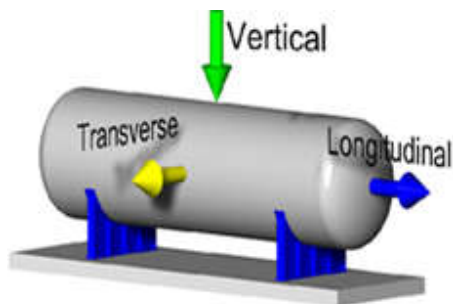
$$= \min(b + 1.56 \cdot \sqrt{ R_m \cdot t }, 2a)$$

$$= \min(7.4252 + 1.56 \cdot \sqrt{ 22.441 \cdot 0.63 }, 2 \cdot 20.354)$$

$$= 13.2908 \text{ in}$$

Input and Calculated Values:

Vessel Mean Radius	Rm	22.44	in
Shell Thickness used in this Case	t	0.630	in
Stiffened Vessel Length per 4.15.6	L	217.75	in
Distance from Saddle to Vessel tangent	a1 or a	20.35	in
Saddle Width	b1 or b	7.43	in
Saddle Bearing Angle	delta or theta	120.00	degrees
Shell Allowable Stress used in Calculation		20000.00	psi
Head Allowable Stress used in Calculation		20000.00	psi
Circumferential Efficiency in Plane of Saddle		1.00	
Circumferential Efficiency at Mid-Span		1.00	
Distance from Saddle Base to Centerline	B	51.81	in
Coefficient of Friction	mu	0.40	
Saddle Force Q for this Transportation Case		80745.06	lbf
Shipping Longitudinal Acceleration	gx	1.50	g
Shipping Transverse Acceleration	gz	1.50	g
Shipping Vertical Acceleration	gy	2.00	g
Vertical Acceleration Acting with Transverse	gw	1.00	g
Internal Pressure during Transport		5.08	psig
Transportation Wind Load Scalar Factor	wlsf	1.00	
Transportation Wind Velocity	wv	0.0	mile/hr



Horizontal Vessel Analysis Results:	Actual psi	Allowable psi
Long. Stress at Top of Midspan	-2764.36	-34200.00
Long. Stress at Top of Midspan	2764.36	20000.00
Long. Stress at Bottom of Midspan	2945.18	20000.00
Long. Stress at Top of Saddles	657.44	20000.00
Long. Stress at Bottom of Saddles	-223.87	-34200.00
Long. Stress at Bottom of Saddles	223.87	20000.00

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Tangential Shear in Shell	5436.19		16000.00	
Circ. Stress at Horn of Saddle	16289.16		30000.00	
Circ. Compressive Stress in Shell	733.13		20000.00	

Intermediate Results: Saddle Reaction Q due to Road Transport Load:

Transverse Force due to Wind during Transport [Ft_w]:

$$\begin{aligned}
 &= \text{Transverse Area} * 0.00256 * wv^2 * wlsf \\
 &= 128.14 * 0.00256 * 0^2 * 1 \\
 &= 0.0 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Wind during Transport [Fl_w]:

$$\begin{aligned}
 &= \pi * D^2/4 * 0.00256 * wv^2 * wlsf * \text{Wind Dia. Mult} \\
 &= \pi * 4.0427^2/4 * 0.00256 * 0^2 * 1 * 1.37 \\
 &= 0.0 \text{ lbf}
 \end{aligned}$$

Transverse Force due to Lateral Acceleration [Ft]:

$$\begin{aligned}
 &= gz * \text{saddle Load} * gw + Ft_w \\
 &= 1.5 * 26915 * 1 + 0 \\
 &= 40372.5 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Axial Acceleration [Fl]:

$$\begin{aligned}
 &= gx * \text{saddle Load} * gw + Fl_w \\
 &= 1.5 * 26915 * 1 + 0 \\
 &= 40372.5 \text{ lbf}
 \end{aligned}$$

Transverse Saddle Reaction Force due to Lateral Acceleration [Fwt]:

$$\begin{aligned}
 &= Ft/\text{Num of Saddles} * B / E \\
 &= 40373/2 * 51.811/40.506 \\
 &= 25820.3 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Transport Load [Fwl]:

$$\begin{aligned}
 &= Fl * B / Ls \\
 &= 40373 * 51.811/139 \\
 &= 15048.5 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Vertical Transportation Acceleration [Fsl]:

$$\begin{aligned}
 &= \text{Saddle Load} * gy \\
 &= 26915 * 2 \\
 &= 53830.043 \text{ lbf}
 \end{aligned}$$

Load Combination Results due to Transport Loading [Q]:

$$\begin{aligned}
 &= \text{Saddle Load} + \max(Fwl, Fwt, Fsl) \\
 &= 26915 + \max(15048, 25820, 53830) \\
 &= 80745.1 \text{ lbf}
 \end{aligned}$$

Summary of Loads at the base of this Saddle:

Vertical Load (including saddle weight)	81819.61	lbf
Transverse Shear Load Saddle	25820.34	lbf
Longitudinal Shear Load Saddle	40372.53	lbf

Formulas and Substitutions for Horizontal Vessel Analysis:

Note: Wear Plate is Welded to the Shell, $k = 0.1$

Saddle Dimension [E]:

$$\begin{aligned}
 &= \min(2(\text{ShellID}/2 + t + \text{WearPadThickness}) \sin(\theta/2), 2 * Rm) \\
 &= \min(2(44.252/2 + 0.63 + 0.63) \sin(120/2), 2 * 22.441) \\
 &= 40.506 \text{ in}
 \end{aligned}$$

The Computed K values from Table 4.15.1:

K1 = 0.1066	K2 = 1.1707	K3 = 0.8799	K4 = 0.4011
K5 = 0.7603	K6 = 0.0529	K7 = 0.0455	K8 = 0.3405

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K9 = 0.2711 K10 = 0.0581 K1* = 0.1923

Note: Dimension a is greater than or equal to $R_m/2$.

Moment per Equation 4.15.1 [M1]:

$$\begin{aligned}
 &= -Q*a [1 - (1 - a/L + (R_m^2 - h^2)/(2a*L))/(1 + (4h^2)/3L)] \\
 &= -80745*20.354[1 - (1 - 20.354/217.75 + (22.441^2 - 0^2)/(2*20.354*217.75))/(1 + (4*0)/(3*217.75))] \\
 &= -5021.1 \text{ ft-lb}
 \end{aligned}$$

Moment per Equation 4.15.4 [M2]:

$$\begin{aligned}
 &= Q*L/4(1 + 2(R_m^2 - h^2)/(L^2))/(1 + (4h^2)/(3L)) - 4a/L \\
 &= 80745*217.75/4(1 + 2(22.441^2 - 0^2)/(217.75^2))/(1 + (4*0)/(3*217.75)) - 4*20.354/217.75 \\
 &= 237117.7 \text{ ft-lb}
 \end{aligned}$$

Longitudinal Stress at Top of Shell (4.15.4) [sigma1]:

$$\begin{aligned}
 &= P * R_m/(2t) - M2/(pi*R_m^2*t) \\
 &= 5.0764 * 22.441/(2*0.63) - 2845412/(pi*22.441^2*0.63) \\
 &= -2764.36 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Bottom of Shell (4.15.5) [sigma2]:

$$\begin{aligned}
 &= P * R_m/(2t) + M2/(pi * R_m^2 * t) \\
 &= 5.0764 * 22.441/(2 * 0.63) + 2845412/(pi * 22.441^2 * 0.63) \\
 &= 2945.18 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Top of Shell at Support (4.15.8) [sigma*3]:

$$\begin{aligned}
 &= P * R_m/(2t) - M1/(K1*pi*R_m^2*t) \\
 &= 5.0764*22.441/(2*0.63) - 60253/(0.1066*pi*22.441^2*0.63) \\
 &= 657.44 \text{ psi}
 \end{aligned}$$

Longitudinal Stress at Bottom of Shell at Support (4.15.9) [sigma*4]:

$$\begin{aligned}
 &= P * R_m/(2t) + M1/(K1 * pi * R_m^2 * t) \\
 &= 5.0764*22.441/(2*0.63) + 60253/(0.1923*pi*22.441^2*0.63) \\
 &= -223.87 \text{ psi}
 \end{aligned}$$

Maximum Shear Force in the Saddle (4.15.3) [T]:

$$\begin{aligned}
 &= Q(L - 2a)/(L + (4*h^2/3)) \\
 &= 80745(217.75 - 2 * 20.354)/(217.75 + (4 * 0/3)) \\
 &= 65649.8 \text{ lbf}
 \end{aligned}$$

Shear Stress in the shell no rings, not stiffened (4.15.12) [tau2]:

$$\begin{aligned}
 &= K2 * T / (R_m * t) \\
 &= 1.1707 * 65650/(22.441 * 0.63) \\
 &= 5436.19 \text{ psi}
 \end{aligned}$$

Decay Length (4.15.20) [x1,x2]:

$$\begin{aligned}
 &= 0.78 * \sqrt{R_m * t} \\
 &= 0.78 * \sqrt{22.441 * 0.63} \\
 &= 2.933 \text{ in}
 \end{aligned}$$

Circumferential Stress in shell, no rings (4.15.21) [sigma6]:

$$\begin{aligned}
 &= -K5 * Q * k / (t(b + X1 + X2)) \\
 &= -0.7603 * 80745 * 0.1/(0.63(7.4252 + 2.9328 + 2.9328)) \\
 &= -733.13 \text{ psi}
 \end{aligned}$$

Circ. Comp. Stress at Horn of Saddle, $L \geq 8R_m$ (4.15.22) [sigma7]:

$$\begin{aligned}
 &= -Q/(4*t(b + X1 + X2)) - 3*K7*Q/(2*t^2) \\
 &= -80745/(4 * 0.63(7.4252 + 2.9328 + 2.9328)) - 3 * 0.04548 * 80745/(2*0.63^2) \\
 &= -16289.16 \text{ psi}
 \end{aligned}$$

Effective reinforcing plate width (4.15.24) [B1]:

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$$\begin{aligned}
 &= \min(b + 1.56 * \sqrt{ Rm * t }, 2a) \\
 &= \min(7.4252 + 1.56 * \sqrt{ 22.441 * 0.63 }, 2 * 20.354) \\
 &= 13.29 \text{ in}
 \end{aligned}$$

Results for Vessel Ribs, Web and Base:

Baseplate Length	Bplen	59.0551	in
Baseplate Thickness	Bpthk	1.4173	in
Baseplate Width	Bpwid	19.6850	in
Number of Ribs (inc. outside ribs)	Nribs	4	
Rib Thickness	Ribtk	0.6299	in
Web Thickness	Webtk	0.6299	in
Web Location	Webloc	Side	
Saddle Yield Stress	Sy	33270.0	psi
Height of Web at Center	Hw,c	17.0	in
Friction Coefficient	mu	0.400	

Moment of Inertia of Saddle - Transverse Direction (90 degrees to long axis)

Inertia of Shell [ShellInertia]:

$$\begin{aligned}
 &= ((1.56 * \sqrt{ R * t } + \text{WearPlateWidth}) t^3) / 12 \\
 &= ((1.56 * \sqrt{ 22.126 * 0.63 } + 9) 0.63^3) / 12 \\
 &= 0.309 \text{ in**4}
 \end{aligned}$$

Resolved Inertia for the Shell [I,shell]:

$$\begin{aligned}
 &= \text{ShellInertia} + A_{\text{shell}} (C1 - Y)^2 \\
 &= 0.3089 + 9.3393 (17.822 - 0.315)^2 \\
 &= 2862.681 \text{ in**4}
 \end{aligned}$$

	B in	D in	Y in	A in^2	AY in^3	I + AD^2 in**4
Shell	14.8243	0.6300	0.3150	9.3393	2.9419	2862.6809
Wearplate	9.0000	0.6300	0.9450	5.6700	5.3582	1615.1414
Web	0.6299	27.0077	14.7639	17.0127	251.1736	1193.1941
BasePlate	19.6850	1.4173	28.9764	27.9001	808.4426	3476.1628
Totals	...	...	...	59.9221	1067.9163	9147.1758

Distance to Centroid [C1]:

$$\begin{aligned}
 &= AY / A \\
 &= 1067.9 / 59.922 \\
 &= 17.822 \text{ in}
 \end{aligned}$$

Angle [beta]:

$$\begin{aligned}
 &= 180 - \text{Saddle Angle} / 2 \\
 &= 180 - 120 / 2 \\
 &= 120.0
 \end{aligned}$$

Saddle Splitting Coefficient [K1]:

$$\begin{aligned}
 &= (1 + \cos(\text{beta}) - 0.5 * \sin(\text{beta})^2) / (\pi - \text{beta} + \sin(\text{beta}) \cos(\text{beta})) \\
 &= (1 + \cos(120) - 0.5 * \sin(120)^2) / (\pi - 2.0944 + \sin(120) \cos(120)) \\
 &= 0.2035
 \end{aligned}$$

Saddle Splitting Force [Fh]:

$$\begin{aligned}
 &= K1 * Q \\
 &= 0.2035 * 80745 \\
 &= 16433.3711 \text{ lbf}
 \end{aligned}$$

$$\text{Tension Stress, } St = (Fh / As) = 324.8807 \text{ psi}$$

$$\text{Allowed Stress, } Sa = 0.6 * \text{Yield Str} = 19962.0000 \text{ psi}$$

Saddle Splitting Dimension [d]:

$$\begin{aligned}
 &= B - R * \sin(\text{theta} / 2) / (\text{theta} / 2 \text{ in radians}) \\
 &= 51.811 - 22.126 * \sin(120 / 2) / 1.0472 \\
 &= 33.513 \text{ in}
 \end{aligned}$$

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Bending Moment, $M = F_h * d = 45894.2695 \text{ ft-lb}$

Bending Stress, $S_b = (M * C_1 / I) = 1073.0074 \text{ psi}$

Allowed Stress, $S_a = 2/3 * \text{Yield Str} = 22180.0000 \text{ psi}$

Minimum Thickness of Baseplate per Moss:

$= \sqrt{3(Q + \text{Saddle_Wt}) \text{BasePlateWidth} / (2 * \text{BasePlateLength} * \text{AllStress})}$
 $= \sqrt{3(80745 + 1074.5) 19.685 / (2 * 59.055 * 22180)}$
 $= 1.358 \text{ in}$

Calculation of Axial Load, Intermediate Values and Compressive Stress:

Web Length Dimension [Web Length]:

$= 2 * \cos(90 - \text{Saddle Angle}/2)(\text{Inside Radius} + \text{Shell Thk} + \text{Wear Plate Thk})$
 $= 2 * \cos(90 - 120/2)(22.126 + 0.63 + 0.63)$
 $= 40.506 \text{ in}$

Distance between Ribs [e]:

$= \text{Web Length} / (\text{Nr ribs} - 1)$
 $= 40.506 / (4 - 1)$
 $= 13.502 \text{ in}$

Baseplate Pressure Area [Ap]:

$= e * \text{Bpwid} / 2$
 $= 13.502 * 19.685 / 2$
 $= 132.893 \text{ in}^2$

Bearing Pressure [Bp]:

$= Q / (\text{BasePlateLength} * \text{BasePlateWidth})$
 $= 80745 / (59.055 * 19.685)$
 $= 69.458 \text{ lbf/in}^2$

Axial Load [P]:

$= A_p * B_p$
 $= 132.89 * 69.458$
 $= 9230.461 \text{ lbf}$

Area of the Rib and Web [Ar]:

$= \text{Rib Area} + \text{Web Area}$
 $= 4.2805 + 4.2526$
 $= 8.533 \text{ in}^2$

Compressive Stress [Sc]:

$= P / A_r$
 $= 9230.5 / 8.5331$
 $= 1081.730 \text{ psi}$

Check of Outside Ribs:

Inertia of Saddle, Outer Ribs - Longitudinal Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	31.1248
Web	6.7510	0.6299	0.3150	4.2526	1.3394	14.8904
Totals	...	...	...	8.5331	18.5793	46.0152

Rib dimension [D]:

$= \text{Saddle Width} - \text{Web Thickness}$
 $= 7.4252 - 0.6299$
 $= 6.795 \text{ in}$

Distance to Centroid from Datum [ytot]:

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$$\begin{aligned}
 &= AY / A \\
 &= 18.579/8.5331 \\
 &= 2.177 \text{ in}
 \end{aligned}$$

Distance to Centroid [C1]:

$$\begin{aligned}
 &= \max(ytot, \text{Saddle Width} - ytot) \\
 &= \max(2.1773, 7.4252 - 2.1773) \\
 &= 5.248 \text{ in}
 \end{aligned}$$

Radius of Gyration [r]:

$$\begin{aligned}
 &= \sqrt{ \text{Total Inertia} / \text{Total Area} } \\
 &= \sqrt{ 46.015/8.5331 } \\
 &= 2.322 \text{ in}
 \end{aligned}$$

Length of Outer Rib [L]:

$$\begin{aligned}
 &= \text{Saddle Height} - \cos(\theta/2) (\text{radius} + \text{shlthk} + \text{wpdthk}) - \text{bpthk} \\
 &= 51.811 - \cos(120/2) (22.126 + 0.63 + 0.63) - 1.4173 \\
 &= 38.701 \text{ in}
 \end{aligned}$$

Intermediate Term [Cc]:

$$\begin{aligned}
 &= \sqrt{ 2 * \pi^2 * \text{Elastic Modulus} / \text{Yield Stress} } \\
 &= \sqrt{ 2 * \pi^2 * 29000000/33270 } \\
 &= 131.171
 \end{aligned}$$

Slenderness ratio [KL/r]:

$$\begin{aligned}
 &= KL/r \\
 &= 1 * 38.701/2.3222 \\
 &= 16.666
 \end{aligned}$$

Bending Moment [Rm]:

$$\begin{aligned}
 &= F1 / (2 * Bplen) * e * L / 2 \\
 &= 40373 / (2 * 59.055) * 13.502 * 38.701/2 \\
 &= 7442.197 \text{ ft-lb}
 \end{aligned}$$

Compressive Allowable, $KL/r < Cc$ ($16.666 < 131.17$) per AISC E2-1 [Sca]:

$$\begin{aligned}
 &= (1 - (K1r)^2 / (2 * Cc^2)) Fy / (5/3 + 3 * (K1r) / (8 * Cc) - (K1r^3) / (8 * Cc^3)) \\
 &= (1 - (16.666)^2 / (2 * 131.17^2)) 33270 / \\
 &\quad (5/3 + 3 * (16.666) / (8 * 131.17) - (16.666^3) / (8 * 131.17^3)) \\
 &= 19253 \text{ psi}
 \end{aligned}$$

AISC Unity Check of Outside Ribs (must be ≤ 1)

$$\begin{aligned}
 &= Sc/Sca + (Rm * C1 / I) / Sba \\
 &= 1081.7/19253 + (89306 * 5.2479/46.015) / 22180 \\
 &= 0.515
 \end{aligned}$$

Check of Inside Ribs:

Inertia of Saddle, Inner Ribs - Axial Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	42.5789
Web	13.5019	0.6299	0.3150	8.5051	2.6788	13.4208
Totals	...	...	...	12.7856	19.9187	55.9997

Distance to Centroid from Datum [ytot]:

$$\begin{aligned}
 &= AY / A \\
 &= 19.919/12.786 \\
 &= 1.558 \text{ in}
 \end{aligned}$$

Distance to Centroid [C1]:

$$\begin{aligned}
 &= \max(ytot, \text{abs}(\text{Saddle Width} - ytot)) \\
 &= \max(1.5579, \text{abs}(7.4252 - 1.5579)) \\
 &= 5.867 \text{ in}
 \end{aligned}$$

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Length of Inner Rib [L]:

$$\begin{aligned}
 &= \text{Saddle Height} - \sqrt{(\text{Ro} + \text{Wpdthk})^2 - (\text{Pitch}/2)^2} - \text{Bpthk} \\
 &= 51.811 - \sqrt{(23.386 + 0.63)^2 - (13.502/2)^2} - 1.4173 \\
 &= 28.003 \text{ in}
 \end{aligned}$$

Radius of Gyration [r]:

$$\begin{aligned}
 &= \sqrt{\text{Total Inertia} / \text{Total Area}} \\
 &= \sqrt{56/12.786} \\
 &= 2.093 \text{ in}
 \end{aligned}$$

Slenderness ratio [KL/r]:

$$\begin{aligned}
 &= \text{KL}/r \\
 &= 1 * 28.003/2.0928 \\
 &= 13.381
 \end{aligned}$$

Unit Force [Force,u]:

$$\begin{aligned}
 &= \text{F1} / (2 * \text{Baseplate Length}) \\
 &= 40373 / (2 * 59.055) \\
 &= 341.821 \text{ lbf/in}
 \end{aligned}$$

Moment at base of inner Rib [Mbase,c]:

$$\begin{aligned}
 &= \text{Unit Force} * e * L \\
 &= 341.82 * 13.502 * 28.003 \\
 &= 129241.828 \text{ in.lbs}
 \end{aligned}$$

Bending Stress due to Transverse Force and Weight Load [SigmaB,base,c]:

$$\begin{aligned}
 &= \text{Bending Moment} / \text{Section Modulus} \\
 &= 129242/9.5444 \\
 &= 13541.157 \text{ psi}
 \end{aligned}$$

Compressive Allowable, $KL/r < Cc$ (13.381 < 131.17) per AISC E2-1 [Sca]:

$$\begin{aligned}
 &= (1 - (KL/r)^2 / (2 * Cc^2)) Fy / (5/3 + 3 * (KL/r) / (8 * Cc) - (KL/r)^3 / (8 * Cc^3)) \\
 &= (1 - (13.381)^2 / (2 * 131.17^2)) 33270 / \\
 &\quad (5/3 + 3 * (13.381) / (8 * 131.17) - (13.381^3) / (8 * 131.17^3)) \\
 &= 19414 \text{ psi}
 \end{aligned}$$

AISC Unity Check of Inside Ribs (must be <= 1)

$$\begin{aligned}
 &= Sc/Sca + (Mbase,c * C1/I) / Sba \\
 &= 928.69/19414 + (129242 * 5.8673/56) / 22180 \\
 &= 0.658
 \end{aligned}$$

ASME VIII Division 2 Horizontal Vessel Analysis, Right Saddle:

*Warning - Distance to Saddle (a) > 0.25 * Tangent Distance (L) - 4.15.3.2*

Note:

Wear Pad Width (9.00) is less than $1.56 * \sqrt{rm * t}$
 and less than 2a. The wear plate will be ignored.

Minimum Wear Plate Width to be considered in analysis [b1]:

$$\begin{aligned}
 &= \min(b + 1.56 * \sqrt{Rm * t}, 2a) \\
 &= \min(7.4252 + 1.56 * \sqrt{22.441 * 0.63}, 2 * 58.638) \\
 &= 13.2908 \text{ in}
 \end{aligned}$$

Input and Calculated Values:

Vessel Mean Radius	Rm	22.44	in
Shell Thickness used in this Case	t	0.630	in
Stiffened Vessel Length per 4.15.6	L	217.75	in
Distance from Saddle to Vessel tangent	a1 or a	58.64	in
Saddle Width	b1 or b	7.43	in
Saddle Bearing Angle	delta or theta	120.00	degrees

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Inside Depth of Head	Hi or h2	11.06	in
Shell Allowable Stress used in Calculation		20000.00	psi
Head Allowable Stress used in Calculation		20000.00	psi
Circumferential Efficiency in Plane of Saddle		1.00	
Circumferential Efficiency at Mid-Span		1.00	
Distance from Saddle Base to Centerline	B	51.81	in
Coefficient of Friction	mu	0.00	
Saddle Force Q for this Transportation Case		28319.31	lbf
Shipping Longitudinal Acceleration	gx	1.50	g
Shipping Transverse Acceleration	gz	1.50	g
Shipping Vertical Acceleration	gy	2.00	g
Vertical Acceleration Acting with Transverse	gw	1.00	g
Internal Pressure during Transport		5.08	psig
Transportation Wind Load Scalar Factor	wlsf	1.00	
Transportation Wind Velocity	wv	0.0	mile/hr

Horizontal Vessel Analysis Results:	Actual	Allowable
	psi	psi

Long. Stress at Top of Midspan	284.61	20000.00
Long. Stress at Bottom of Midspan	-103.79	-34200.00
Long. Stress at Bottom of Midspan	103.79	20000.00
Long. Stress at Top of Saddles	4804.75	20000.00
Long. Stress at Bottom of Saddles	-2522.56	-34200.00
Long. Stress at Bottom of Saddles	2522.56	20000.00

Tangential Shear in Shell	1013.37	16000.00
Circ. Stress at Horn of Saddle	6502.09	30000.00
Circ. Compressive Stress in Shell	257.13	20000.00

Intermediate Results: Saddle Reaction Q due to Road Transport Load:

Transverse Force due to Wind during Transport [Ft_w]:

$$\begin{aligned}
 &= \text{Transverse Area} * 0.00256 * wv^2 * wlsf \\
 &= 128.14 * 0.00256 * 0^2 * 1 \\
 &= 0.0 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Wind during Transport [Fl_w]:

$$\begin{aligned}
 &= \pi * D^2/4 * 0.00256 * wv^2 * wlsf * \text{Wind Dia. Mult} \\
 &= \pi * 4.0427^2/4 * 0.00256 * 0^2 * 1 * 1.37 \\
 &= 0.0 \text{ lbf}
 \end{aligned}$$

Transverse Force due to Lateral Acceleration [Ft]:

$$\begin{aligned}
 &= gz * \text{saddle Load} * gw + Ft_w \\
 &= 1.5 * 9439.8 * 1 + 0 \\
 &= 14159.7 \text{ lbf}
 \end{aligned}$$

Longitudinal Force due to Axial Acceleration [Fl]:

$$\begin{aligned}
 &= gx * \text{saddle Load} * gw + Fl_w \\
 &= 1.5 * 9439.8 * 1 + 0 \\
 &= 14159.7 \text{ lbf}
 \end{aligned}$$

Transverse Saddle Reaction Force due to Lateral Acceleration [Fwt]:

$$\begin{aligned}
 &= Ft/\text{Num of Saddles} * B / E \\
 &= 14160/2 * 51.811/40.506 \\
 &= 9055.8 \text{ lbf}
 \end{aligned}$$

Saddle Reaction Force due to Transport Load [Fwl]:

$$\begin{aligned}
 &= Fl * B / Ls \\
 &= 14160 * 51.811/139
 \end{aligned}$$

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$$= 5277.9 \text{ lbf}$$

Saddle Reaction Force due to Vertical Transportation Acceleration [Fsl]:

$$\begin{aligned} &= \text{Saddle Load} * g_y \\ &= 9439.8 * 2 \\ &= 18879.543 \text{ lbf} \end{aligned}$$

Load Combination Results due to Transport Loading [Q]:

$$\begin{aligned} &= \text{Saddle Load} + \max(\text{Fwl}, \text{Fwt}, \text{Fsl}) \\ &= 9439.8 + \max(5277.9, 9055.8, 18880) \\ &= 28319.3 \text{ lbf} \end{aligned}$$

Summary of Loads at the base of this Saddle:

Vertical Load (including saddle weight)	29119.46	lbf
Transverse Shear Load Saddle	9055.84	lbf
Longitudinal Shear Load Saddle	14159.66	lbf

Formulas and Substitutions for Horizontal Vessel Analysis:

Note: Wear Plate is Welded to the Shell, $k = 0.1$

Saddle Dimension [E]:

$$\begin{aligned} &= \min(2(\text{ShellID}/2 + t + \text{WearPadThickness})\sin(\theta/2), 2*R_m) \\ &= \min(2(44.252/2 + 0.63 + 0.63)\sin(120/2), 2*22.441) \\ &= 40.506 \text{ in} \end{aligned}$$

The Computed K values from Table 4.15.1:

K1 = 0.1066	K2 = 1.1707	K3 = 0.8799	K4 = 0.4011
K5 = 0.7603	K6 = 0.0529	K7 = 0.0529	K8 = 0.3405
K9 = 0.2711	K10 = 0.0581	K1* = 0.1923	

Note: Dimension a is greater than or equal to $R_m/2$.

Moment per Equation 4.15.1 [M1]:

$$\begin{aligned} &= -Q*a[1 - (1 - a/L + (R_m^2 - h^2)/(2a*L))/(1 + (4h^2)/3L)] \\ &= -28319*58.638[1 - (1 - 58.638/217.75 + (22.441^2 - 11.063^2)/(2*58.638*217.75))/(1 + (4*11.063)/(3*217.75))] \\ &= -41746.1 \text{ ft-lb} \end{aligned}$$

Moment per Equation 4.15.4 [M2]:

$$\begin{aligned} &= Q*L/4(1 + 2(R_m^2 - h^2)/(L^2))/(1 + (4h^2)/(3L)) - 4a/L \\ &= 28319*217.75/4(1 + 2(22.441^2 - 11.063^2)/(217.75^2))/(1 + (4*11.063)/(3*217.75)) - 4*58.638/217.75 \\ &= -16130.2 \text{ ft-lb} \end{aligned}$$

Longitudinal Stress at Top of Shell (4.15.4) [sigma1]:

$$\begin{aligned} &= P * R_m/(2t) - M2/(\pi * R_m^2 * t) \\ &= 5.0764 * 22.441/(2*0.63) - 193562/(\pi * 22.441^2 * 0.63) \\ &= 284.61 \text{ psi} \end{aligned}$$

Longitudinal Stress at Bottom of Shell (4.15.5) [sigma2]:

$$\begin{aligned} &= P * R_m/(2t) + M2/(\pi * R_m^2 * t) \\ &= 5.0764 * 22.441/(2 * 0.63) + 193562/(\pi * 22.441^2 * 0.63) \\ &= -103.79 \text{ psi} \end{aligned}$$

Longitudinal Stress at Top of Shell at Support (4.15.8) [sigma*3]:

$$\begin{aligned} &= P * R_m/(2t) - M1/(K1*\pi*R_m^2*t) \\ &= 5.0764*22.441/(2*0.63) - 500954/(0.1066*\pi*22.441^2*0.63) \\ &= 4804.75 \text{ psi} \end{aligned}$$

Longitudinal Stress at Bottom of Shell at Support (4.15.9) [sigma*4]:

$$\begin{aligned} &= P * R_m/(2t) + M1/(K1* \pi * R_m^2 * t) \\ &= 5.0764*22.441/(2*0.63) + 500954/(0.1923*\pi*22.441^2*0.63) \end{aligned}$$

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$$= -2522.56 \text{ psi}$$

Maximum Shear Force in the Saddle (4.15.3) [T]:

$$= Q(L-2a)/(L+(4*h^2/3))$$

$$= 28319(217.75 - 2 * 58.638)/(217.75 + (4 * 11.063/3))$$

$$= 12237.9 \text{ lbf}$$

Shear Stress in the shell no rings, not stiffened (4.15.12) [tau2]:

$$= K2 * T / (Rm * t)$$

$$= 1.1707 * 12238 / (22.441 * 0.63)$$

$$= 1013.37 \text{ psi}$$

Decay Length (4.15.20) [x1,x2]:

$$= 0.78 * \sqrt{Rm * t}$$

$$= 0.78 * \sqrt{22.441 * 0.63}$$

$$= 2.933 \text{ in}$$

Circumferential Stress in shell, no rings (4.15.21) [sigma6]:

$$= -K5 * Q * k / (t(b + X1 + X2))$$

$$= -0.7603 * 28319 * 0.1 / (0.63(7.4252 + 2.9328 + 2.9328))$$

$$= -257.13 \text{ psi}$$

Circ. Comp. Stress at Horn of Saddle, L>=8Rm (4.15.22) [sigma7]:

$$= -Q/(4*t(b+X1+X2)) - 3*K7*Q/(2*t^2)$$

$$= -28319/(4 * 0.63(7.4252 + 2.9328 + 2.9328)) -$$

$$3 * 0.05285 * 28319/(2*0.63^2)$$

$$= -6502.09 \text{ psi}$$

Effective reinforcing plate width (4.15.24) [B1]:

$$= \min(b + 1.56 * \sqrt{Rm * t}, 2a)$$

$$= \min(7.4252 + 1.56 * \sqrt{22.441 * 0.63}, 2 * 58.638)$$

$$= 13.29 \text{ in}$$

Results for Vessel Ribs, Web and Base:

Baseplate Length	Bplen	59.0551	in
Baseplate Thickness	Bpthk	1.4173	in
Baseplate Width	Bpwid	9.0000	in
Number of Ribs (inc. outside ribs)	Nribs	4	
Rib Thickness	Ribtk	0.6299	in
Web Thickness	Webtk	0.6299	in
Web Location	Webloc	Side	
Saddle Yield Stress	Sy	38000.0	psi
Height of Web at Center	Hw,c	17.0	in
Friction Coefficient	mu	0.000	

Moment of Inertia of Saddle - Transverse Direction (90 degrees to long axis)

Inertia of Shell [ShellInertia]:

$$= ((1.56 * \sqrt{R * t} + \text{WearPlateWidth})^3)/12$$

$$= ((1.56 * \sqrt{22.126 * 0.63} + 9)^3)/12$$

$$= 0.309 \text{ in**4}$$

Resolved Inertia for the Shell [I,shell]:

$$= \text{ShellInertia} + A_{\text{shell}}(C1 - Y)^2$$

$$= 0.3089 + 9.3393(14.049 - 0.315)^2$$

$$= 1761.964 \text{ in**4}$$

	B in	D in	Y in	A in^2	AY in^3	I + AD^2 in**4
Shell	14.8243	0.6300	0.3150	9.3393	2.9419	1761.9644
Wearplate	9.0000	0.6300	0.9450	5.6700	5.3582	973.8370
Web	0.6299	27.0077	14.7639	17.0127	251.1736	1042.8040

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BasePlate	9.0000	1.4173	28.9764	12.7559	369.6200	2844.4229
Totals	...	...	...	44.7780	629.0936	6623.0273

Distance to Centroid [C1]:

$$\begin{aligned}
 &= AY / A \\
 &= 629.09 / 44.778 \\
 &= 14.049 \text{ in}
 \end{aligned}$$

Angle [beta]:

$$\begin{aligned}
 &= 180 - \text{Saddle Angle} / 2 \\
 &= 180 - 120 / 2 \\
 &= 120.0
 \end{aligned}$$

Saddle Splitting Coefficient [K1]:

$$\begin{aligned}
 &= (1 + \cos(\text{beta}) - 0.5 \sin(\text{beta})^2) / (\pi - \text{beta} + \sin(\text{beta}) \cos(\text{beta})) \\
 &= (1 + \cos(120) - 0.5 \sin(120)^2) / (\pi - 2.0944 + \sin(120) \cos(120)) \\
 &= 0.2035
 \end{aligned}$$

Saddle Splitting Force [Fh]:

$$\begin{aligned}
 &= K1 * Q \\
 &= 0.2035 * 28319 \\
 &= 5763.5947 \text{ lbf}
 \end{aligned}$$

$$\begin{aligned}
 \text{Tension Stress, } St &= (Fh / As) = 162.6359 \text{ psi} \\
 \text{Allowed Stress, } Sa &= 0.6 * \text{Yield Str} = 22800.0000 \text{ psi}
 \end{aligned}$$

Saddle Splitting Dimension [d]:

$$\begin{aligned}
 &= B - R * \sin(\text{theta} / 2) / (\text{theta} / 2 \text{ in radians}) \\
 &= 51.811 - 22.126 * \sin(120 / 2) / 1.0472 \\
 &= 33.513 \text{ in}
 \end{aligned}$$

$$\text{Bending Moment, } M = Fh * d = 16096.2705 \text{ ft-lb}$$

$$\begin{aligned}
 \text{Bending Stress, } Sb &= (M * C1 / I) = 409.7329 \text{ psi} \\
 \text{Allowed Stress, } Sa &= 2/3 * \text{Yield Str} = 25333.3340 \text{ psi}
 \end{aligned}$$

Minimum Thickness of Baseplate per Moss:

$$\begin{aligned}
 &= \sqrt{ 3 (Q + \text{Saddle_Wt}) \text{BasePlateWidth} / (2 * \text{BasePlateLength} * \text{AllStress}) } \\
 &= \sqrt{ 3 (28319 + 800.14) 9 / (2 * 59.055 * 25333) } \\
 &= 0.513 \text{ in}
 \end{aligned}$$

Calculation of Axial Load, Intermediate Values and Compressive Stress:

Web Length Dimension [Web Length]:

$$\begin{aligned}
 &= 2 * \cos(90 - \text{Saddle Angle} / 2) (\text{Inside Radius} + \text{Shell Thk} + \text{Wear Plate Thk}) \\
 &= 2 * \cos(90 - 120 / 2) (22.126 + 0.63 + 0.63) \\
 &= 40.506 \text{ in}
 \end{aligned}$$

Distance between Ribs [e]:

$$\begin{aligned}
 &= \text{Web Length} / (\text{Nr ribs} - 1) \\
 &= 40.506 / (4 - 1) \\
 &= 13.502 \text{ in}
 \end{aligned}$$

Baseplate Pressure Area [Ap]:

$$\begin{aligned}
 &= e * \text{Bpwid} / 2 \\
 &= 13.502 * 9 / 2 \\
 &= 60.759 \text{ in}^2
 \end{aligned}$$

Bearing Pressure [Bp]:

$$\begin{aligned}
 &= Q / (\text{BasePlateLength} * \text{BasePlateWidth}) \\
 &= 28319 / (59.055 * 9) \\
 &= 53.282 \text{ lbf/in}^2
 \end{aligned}$$

Axial Load [P]:

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$$\begin{aligned}
 &= A_p * B_p \\
 &= 60.759 * 53.282 \\
 &= 3237.354 \text{ lbf}
 \end{aligned}$$

Area of the Rib and Web [Ar]:

$$\begin{aligned}
 &= \text{Rib Area} + \text{Web Area} \\
 &= 4.2805 + 4.2526 \\
 &= 8.533 \text{ in}^2
 \end{aligned}$$

Compressive Stress [Sc]:

$$\begin{aligned}
 &= P/A_r \\
 &= 3237.4/8.5331 \\
 &= 379.390 \text{ psi}
 \end{aligned}$$

Check of Outside Ribs:

Inertia of Saddle, Outer Ribs - Longitudinal Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	31.1248
Web	6.7510	0.6299	0.3150	4.2526	1.3394	14.8904
Totals	...	...	...	8.5331	18.5793	46.0152

Rib dimension [D]:

$$\begin{aligned}
 &= \text{Saddle Width} - \text{Web Thickness} \\
 &= 7.4252 - 0.6299 \\
 &= 6.795 \text{ in}
 \end{aligned}$$

Distance to Centroid from Datum [ytot]:

$$\begin{aligned}
 &= AY / A \\
 &= 18.579/8.5331 \\
 &= 2.177 \text{ in}
 \end{aligned}$$

Distance to Centroid [C1]:

$$\begin{aligned}
 &= \max(y_{tot}, \text{Saddle Width} - y_{tot}) \\
 &= \max(2.1773, 7.4252 - 2.1773) \\
 &= 5.248 \text{ in}
 \end{aligned}$$

Radius of Gyration [r]:

$$\begin{aligned}
 &= \sqrt{\text{Total Inertia} / \text{Total Area}} \\
 &= \sqrt{46.015/8.5331} \\
 &= 2.322 \text{ in}
 \end{aligned}$$

Length of Outer Rib [L]:

$$\begin{aligned}
 &= \text{Saddle Height} - \cos(\theta/2) (\text{radius} + \text{shlthk} + \text{wpdthk}) - \text{bpthk} \\
 &= 51.811 - \cos(120/2) (22.126 + 0.63 + 0.63) - 1.4173 \\
 &= 38.701 \text{ in}
 \end{aligned}$$

Intermediate Term [Cc]:

$$\begin{aligned}
 &= \sqrt{2 * \pi^2 * \text{Elastic Modulus} / \text{Yield Stress}} \\
 &= \sqrt{2 * \pi^2 * 29000000/38000} \\
 &= 122.736
 \end{aligned}$$

Slenderness ratio [KL/r]:

$$\begin{aligned}
 &= KL/r \\
 &= 1 * 38.701/2.3222 \\
 &= 16.666
 \end{aligned}$$

Bending Moment [Rm]:

$$\begin{aligned}
 &= F_l / (2 * B_{plen}) * e * L / 2 \\
 &= 14160 / (2 * 59.055) * 13.502 * 38.701/2 \\
 &= 2610.165 \text{ ft-lb}
 \end{aligned}$$

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Compressive Allowable, $KL/r < Cc$ (16.666 < 122.74) per AISC E2-1 [Sca]:

$$= (1 - (KL/r)^2 / (2 * Cc^2)) F_y / (5/3 + 3 * (KL/r) / (8 * Cc) - (KL/r)^3 / (8 * Cc^3))$$

$$= (1 - (16.666)^2 / (2 * 122.74^2)) 38000 / (5/3 + 3 * (16.666) / (8 * 122.74) - (16.666^3) / (8 * 122.74^3))$$

$$= 21924 \text{ psi}$$

AISC Unity Check of Outside Ribs (must be <= 1)

$$= S_c / S_{ca} + (R_m * C_1 / I) / S_{ba}$$

$$= 379.39 / 21924 + (31322 * 5.2479 / 46.015) / 25333$$

$$= 0.158$$

Check of Inside Ribs:

Inertia of Saddle, Inner Ribs - Axial Direction

	B	D	Y	A	AY	Io
Rib	0.6299	6.7953	4.0276	4.2805	17.2399	42.5789
Web	13.5019	0.6299	0.3150	8.5051	2.6788	13.4208
Totals	...	...	...	12.7856	19.9187	55.9997

Distance to Centroid from Datum [ytot]:

$$= AY / A$$

$$= 19.919 / 12.786$$

$$= 1.558 \text{ in}$$

Distance to Centroid [C1]:

$$= \max(y_{tot}, \text{abs}(\text{Saddle Width} - y_{tot}))$$

$$= \max(1.5579, \text{abs}(7.4252 - 1.5579))$$

$$= 5.867 \text{ in}$$

Length of Inner Rib [L]:

$$= \text{Saddle Height} - \sqrt{ (Ro + Wpdthk)^2 - (Pitch/2)^2 } - B_{pthk}$$

$$= 51.811 - \sqrt{ (23.386 + 0.63)^2 - (13.502/2)^2 } - 1.4173$$

$$= 28.003 \text{ in}$$

Radius of Gyration [r]:

$$= \sqrt{ \text{Total Inertia} / \text{Total Area} }$$

$$= \sqrt{ 56 / 12.786 }$$

$$= 2.093 \text{ in}$$

Slenderness ratio [KL/r]:

$$= KL/r$$

$$= 1 * 28.003 / 2.0928$$

$$= 13.381$$

Unit Force [Force,u]:

$$= F_1 / (2 * \text{Baseplate Length})$$

$$= 14160 / (2 * 59.055)$$

$$= 119.885 \text{ lbf/in}$$

Moment at base of inner Rib [Mbase,c]:

$$= \text{Unit Force} * e * L$$

$$= 119.89 * 13.502 * 28.003$$

$$= 45328.344 \text{ in.lbs}$$

Bending Stress due to Transverse Force and Weight Load [SigmaB,base,c]:

$$= \text{Bending Moment} / \text{Section Modulus}$$

$$= 45328 / 9.5444$$

$$= 4749.223 \text{ psi}$$

Compressive Allowable, $KL/r < Cc$ (13.381 < 122.74) per AISC E2-1 [Sca]:

$$= (1 - (KL/r)^2 / (2 * Cc^2)) F_y / (5/3 + 3 * (KL/r) / (8 * Cc) - (KL/r)^3 / (8 * Cc^3))$$

$$= (1 - (13.381)^2 / (2 * 122.74^2)) 38000 / (5/3 + 3 * (13.381) / (8 * 122.74) - (13.381^3) / (8 * 122.74^3))$$

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= 22124 psi

AISC Unity Check of Inside Ribs (must be <= 1)

= $Sc/Sca + (Mbase,c * C1/I)/Sba$
 = $492.46/22124 + (45328 * 5.8673/56)/25333$
 = 0.210

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Appendix 1 Transport load Calculation

The IMO rules Annex 13 section 7 “Advanced Calculation Method” to be used to calculate transport load. For Ocean shipment, the IMO wind load (Load = 1.0 kN / m², 21 lbf/ ft²) is additive to the transverse dynamic loading. The IMO (deck) sea sloshing load shall be ignored according to 4WEQ - 1014.

The shipping weight is 16.685 tonnes, the distance of Center of gravity to base is 1.316m. The transverse wind load is 11.683 kN. (Refer to page6)

Longitudinal load:

$$F_x = m \cdot a_x = 16.685 \cdot 1.5 \cdot 9.8 = 245.27 \text{ kN}$$

Transverse load:

$$F_y = m \cdot a_y + F_w = 16.685 \cdot 1.5 \cdot 9.8 + 11.683 = 256.95 \text{ kN}$$

Tipping moment:

$$F_y \cdot a = 256.95 \cdot 1.316 = 338.15 \text{ kN.m}$$

Appendix 2	IMO Rules Annex 13 section 7 - Advanced Calculation Method.
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Calculation of Lashing Capacity (LC)(For the most severe working points)

Longitudinal acceleration	=	a_x	=	1.5	
Transverse acceleration	=	a_y	=	1.5	
Vertical acceleration	=	a_z	=	2	
Coefficient of friction	=	μ	=	0.3	
Vertical lashing angle	=	α	=	52.4	deg
		$\cos \alpha$	=	0.610	
Horizontal lashing angle	=	β	=	41.4	deg
		$\cos \beta$	=	0.750	
Shipping mass	G	=	m	16685	kg
			=	16.685	Ton
Number of effective lashing belt	=	n	=	8	nos.
Lashing capacity	LC	=	$G \cdot C_x / (\cos \alpha \cdot \cos \beta \cdot n)$	6839	kg
			=	6.839	Ton

The provided lashing belts are 8 nos. of lashing rope 6 x 19 diameter 12mm having total capacity of 100.8 Ton

(i.e. single belt having capacity 8.4 Ton.)

Advanced calculation method

1. Transverse Sliding:

In order to calculate the required lashing on each side a balance of forces calculations has to meet the following ineequality:

No. of soft lashing	=	n	=	8	Nos.
Transverse acceleration	=	a_y	=	1.5	m/s ²
Coefficient of friction	=	μ	=	0.3	
Mass of cargo [ton]	=	m	=	16.69	Ton
Gravity acceleration of earth	=	g	=	9.81	m/s ²
Lashing Diameter	=	d	=	12	mm
Breaking Load	=		=	84	kN
MSL	=	Breaking Load / 2	=	42	kN
Calculated strength of transverse securing device (MSL)	CS	=	MSL / 1.5	28.0	kN
					...MSL-Maximum
Function of friction coefficient & the vertical securing angle	f	=	$\mu \cdot \sin \alpha + \cos \alpha$	0.848	
			$\sin \alpha$	0.792	
			$\cos \alpha$	0.610	
	f1	=	$\mu \cdot \sin \alpha + \cos \alpha$	0.848	
	f2	=	$\mu \cdot \sin \alpha + \cos \alpha$	0.848	
Overall Length of vessel	=	L	=	7.410	m
Overall Width of vessel	=	w	=	1.71	m
Overall Height of vessel	=	h	=	2.57	m
Wind force acting on each m2 area	=		=	1.0	kN
Area Exposed to wind in Longitudinal direction	=	L * w	=	12.67	m ²
Longitudinal wind force = 1 kN * Longitudinal exposed area	=	Fwy	=	12.67	kN
Area Exposed to wind in Transverse direction	=	h * w	=	4.39	m ²
Transverse wind force = 1 kN * Transverse exposed area	=	Fsy	=	4.39	kN
Transverse sliding force	Fy	=	m*ay + Fwy + Fsy	42.09	kN

Since the below equation is satisfied i.e.

Fy

<

$\mu * m * g + CS1 * f1 + CS2 * f2$

42.09

<

96.58

So the provided lashing is suitable for Transverse Sliding.

2. Transverse Tipping:

In order to calculate the required lashing on each side a balance of forces calculations has to meet the following inequality:

No. of soft lashing	=	n	=	8	Nos.	
Transverse acceleration	=	ay	=	1.500	m/s ²	
Lever arm of tipping	=	a	=	1.316	m	
Lever arm of stableness	=	b	=	0.750	m	
mass of cargo	=	m	=	16.685	Ton	
Gravity acceleration of earth	=	g	=	9.81	m/s ²	
Lashing Diameter	=	d	=	12	mm	wire rope 6 x 19
Breaking Load			=	84	kN	
MSL	=	Breaking Load / 2	=	42.0	kN	
Calculated strength of transverse securing device (MSL)	CS	=	MSL / 1.5	=	28.0	kN
Lever arm of securing force	=	c				
Lever arm of securing force (Shell Lashing)		c1	=	1.9		
Lever arm of securing force (Stool Lashing)		c2	=	1.9		
Longitudinal wind force = 1 kN x Longitudinal exposed area		Fwy	=	12.67	kN	
Transverse wind force = 1 kN x Transverse exposed area		Fsy	=	4.39	kN	
Transverse sliding force	Fy	=	m * ay+ Fwy + Fsy	=	42.1	kN
			Fy * a	=	55.39	kN
			b * m * g + CS1 * c1 + CS2 * c2	=	231.68	kN

Since the below equation is satisfied i.e.

Fy * a

<

b * m * g+ CS1 * c1 + CS2 * c2

55.39

<

231.68

So the provided lashing is suitable for Transverse Tipping.

3. Longitudinal Sliding

Generally, the transverse securing devices provide sufficient longitudinal components to prevent longitudinal sliding.

In order to ensure the above the balance of forces calculations has to meet the following inequality:

No. of soft lashing	=	n	=	8	Nos.	
Longitudinal acceleration	=	a _x	=	1.5	m/s ²	
Coefficient of friction	=	μ	=	0.3		
mass of cargo	=	m	=	16.7	Ton	
Gravity acceleration of earth	=	g	=	9.81	m/s ²	
Vertical acceleration	=	a _z	=	2	m/s ²	
Vertical force	Fz	=	m*a _z	=	33.37	kN
Lashing Diameter	=	d	=	12	mm	wire rope 6 x 19
Breaking Load			=	84	kN	
MSL	=	Breaking Load / 2	=	42	kN	
Calculated strength of transverse securing device (MSL)	CS	=	MSL / 1.5	=	28.0	kN

Longitudinal wind force = Longitudinal exposed area * 1 kN	=	Fsx	=	12.67	kN
Area Exposed to wind in Transverse direction	=	h * w	=	4.39	m ²
Transverse wind force = 1 kN * Transverse exposed area	=	Fwx	=	4.39	kN
Vertical lashing angle in longitudinal direction	=	α	=	52	deg
Function of friction coefficient & the vertical securing angle	f	=	μ * sin α + cos α	=	0.848
		=	sin α	=	0.792
		=	cos α	=	0.610
	f1	=	μ * sin 45 + cos 45	=	0.848
	f2	=	μ * sin 45 + cos 45	=	0.848
Fx	=	m * ay + Fwx + Fsx	=	42.09	kN
		μ * (m * g - Fz) + CS1 * f1 + CS2 * f2	=	86.6	kN

Since the below equation is satisfied i.e.

Fx

<

μ * (m * g - Fz) + CS1 * f1 + CS2 * f2

42.09

<

86.6

So the provided lashing is suitable for Longitudinal Sliding.

